# Completeness, Recall, and Negation in Open-World Knowledge Bases

Simon Razniewski, Hiba Arnaout, Shrestha Ghosh, Fabian Suchanek

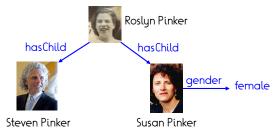
- 1. Introduction & foundations (Simon)
- 2. Predictive recall assessment (Fabian)
- 3. Counts from text and KB (Shrestha)
- 4. Negation (Hiba)
- 5. Relative completensss & wrap-up (Simon)

### Predictive recall assessment

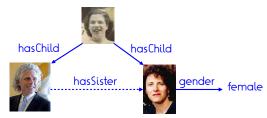
How can we find out if a knowledge base is complete?

- The Basics: Predicting facts
- · Recall of facts
  - Do we have all objects for a subject?
  - Can we use text to determine completeness?
- Recall of entities
  - Do we have all entities of the real world?

#### Fact Prediction Problem



#### Fact Prediction Problem



We may be able to deduce some facts that are very likely to be true in reality, even though they are not in the KB.

=> This is where the KB must be incomplete

**Problem:** Fact Prediction Problem

Input: a knowledge base K

Task: Find facts  $f \notin K$  that are true in the real world.

### Fact Prediction by Rule Mining



Given a KB, rule mining automatically finds logical rules such as:

```
\begin{split} hasChild(x,y) \wedge hasChild(x,z) \wedge gender(z,female) \Rightarrow hasSister(y,z) \\ marriedTo(x,y) \wedge hasChild(x,z) \Rightarrow hasChild(y,z) \\ wasBornIn(x,y) \wedge hasLanguage(x,z) \Rightarrow speaks(x,z) \end{split}
```

... usually with a confidence score. These can be used to predict facts.

# Fact Prediction by Rule Mining

Bottom-up approaches

Start with rules for concrete instances, generalize them

C. Meilicke, M. Chekol, D. Ruffinelli, H. Stuckenschmidt:

"Anytime Bottom-Up Rule Learning for Knowledge Graph Completion" (AnyBurl system), IJCAI 2019

#### <u>Top-down approaches</u>

Start with short rules, make them longer

Jonathan Lajus, Luis Galárraga, Fabian M. Suchanek:

"Fast and Exact Rule Mining with AMIE 3", ESWC 2020

Stefano Ortona, Venkata Vamsikrishna Meduri, Paolo Papotti:

"Robust Discovery of Positive and Negative Rules in Knowledge Bases" (Rudik system) ICDE 2018

# Fact Prediction by Link Prediction



We can try to embed the entities in an n-dimensional vector space in such a way that their relative position corresponds to their relations:



# Fact Prediction by Link Prediction

A fact r(x,y) can be embedded in different ways:

#### <u>TransE</u>

Find  $v(\cdot)$  such that  $v(x)+v(r)\approx v(y)$ .

#### TransH, TransR, TransD

Map each embedding v(x) to a new vector  $v_r(v(x))$  that is specific to the relation r, and impose  $v_r(v(s))+v(r)\approx v_r(v(o))$ .

#### RESCAL, DistMul, HolE, ComplEx, ANALOGY

Minimize cos(v(s)+v(r),v(o))

Fabian M. Suchanek, Jonathan Lajus, Armand Boschin, Gerhard Weikum:

"Knowledge Representation and Rule Mining"

Reasoning Web Summer School 2019

### Predictive recall assessment

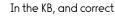
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# Are we missing objects?







Neil deGrasse Tyson

Alice Young

# Are we missing objects?



marriedTo j





In the KB, and correct

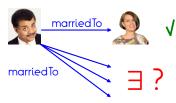


# Are we missing objects?





# Missing Object Problem



#### Problem: Missing Object Problem

#### Input:

- ullet a knowledge base  $\it K$
- ullet a subject s
- ullet a relation r

Task: Determine if there is one or more o with r(s, o) in the real world, but  $r(s, o) \notin K$  (no matter which o, or how many o).

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# Signals for missing objects

#### Closed World Assumption:

There are no missing objects (cf. first part of the tutorial).

#### Partial Completeness Assumption:

If there are 1+ objects in the KB, then no object is missing.

#### Popularity assumption:

If an entity is popular, it has no missing objects.

#### No-change assumption:

If the number of objects did not change, none is missing.

# Complex signals for missing objects

#### <u>Class pattern oracle:</u>

If the subject is in some class c, then there are (no) missing objects.

Example: Instances of "LivingPeople" are not missing a death date

#### Star pattern oracle:

If the subject has one (or no) relationship  $\ r$  , then there are no missing objects for relationship  $\ r$  .

Example: If you don't have a death place, you don't need a death date.

Can we combine and learn these signals?

## Learning signals for missing objects

As we have seen, rule mining systems can learn (weighted) rules such as  $marriedTo(x,y) \wedge hasChild(x,z) \Rightarrow hasChild(y,z)$ 

#### Idea:

- 1) Add the ground truth on a sample of entities by crowdsourcing We have all spouses of Elvis: complete(Elvis,marriedTo)
- 2) Add signals for missing objects as facts to the KB
  Elvis is a popular entity: popular(Elvis)
  Elvis has one spouse in the KB: cardinalityIsNot0(Elvis,marriedTo)
- 3) Use the rule miner to learn rules about missing objects  $cardinality IsNot0(x, marriedTo) \land popular(x) \Rightarrow complete(x, marriedTo)$
- 4) Use the rules to predict completeness

```
cardinalityIsNot0(Neil,marriedTo) \land popular(Neil)
```

 $\Rightarrow complete(Neil, marriedTo)$ 

->results

### Learning rules for completeness

#### Artificially added assertions:

- ullet complete(x,r): if x is complete on relation r on ground truth sample
- incomplete(x, r): same for incomplete
- isPopular(x): x is among the top 5% entities for number of facts
- hasNotChanged(x,r): no difference in objects between YAGO 1 and YAGO 3
- notype(x, t): entity x is not in class t
- $lessThan_n(x,r)$ : entity x has less than n objects for relation r
- $moreThan_n(x, r)$ : same for more

#### Example for rules learned with the AMIE system:

```
dateOfDeath(x, y) \land lessThan_1(x,placeOfDeath) \Rightarrow incomplete(x,placeOfDeath)

IMDbId(x, y) \land producer(x, z) \Rightarrow complete(x, director)

notype(x, Adult) \land type(x, Person) \Rightarrow complete(x, hasChild)

lessThan_2(x, hasParent) \Rightarrow incomplete(x, hasParent)
```

### Signals for Incompleteness (F1)

Relation	CWA	PCA	$card_2$	Popularity	No change	Star	Class	AMIE	
diedIn	60%	22%		4%	15%	50%	99%	96%	
directed	40%	96%	19%	7%	71%	0%	0%	100%	
graduatedFrom	89%	4%	2%	2%	10%	89%	92%	87%	
hasChild	71%	1%	1%	2%	13%	40%	78%	78%	
hasGender	78%	100%	_	2%	_	86%	95%	100%	`
hasParent*	1%	54%	100%	_	_	0%	0%	100%	Υ
isCitizenOf*	4%	98%	11%	1%	4%	10%	5%	100%	
isConnectedTo	87%	34%	19%			68%	88%	89%	
isMarriedTo*	55%	7%	0%	3%	12%	37%	57%	46%	
wasBornIn	28%	100%		5%	8%	0%	0%	100%	



Relation	CWA	PCA	$\mathbf{card}_2$	Popularity	Star	Class	AMIE
alma_mater	90%	14%	5%	1%	87%	87%	87%
brother	93%	1%	_	1%	94%	96%	96%
child	70%	1%	_	1%	79%	72%	73%
country_of_citizenship*	42%	97%	10%	3%	0%	0%	98%
director	81%	100%	_	3%	94%	89%	100%
father*	5%	100%	6%	9%	89%	8%	100%
mother*	3%	100%	3%	10%	67%*	5%	100%
place_of_birth	53%	100%	7%	5%	55%	0%	100%
place_of_death	89%	35%	1%	2%	81%	81%	96%
sex_or_gender	81%	100%	6%	3%	92%	91%	100%
spouse*	57%	7%	_	1%	54%	54%	55%



• = biased training sample 18

### Missing Object Problem



=> By help of <u>supervised learning</u>, we can learn rules that predict if an object is missing (although not which one, or how many).  $cardinality IsNot0(x, marriedTo) \land popular(x) \Rightarrow complete(x, marriedTo)$ 

Luis Galárraga, Simon Razniewski, Antoine Amarilli, Fabian M. Suchanek: "Predicting Completeness in Knowledge Bases"

International Conference on Web Search and Data Mining (WSDM) 2017

### Missing Object Problem



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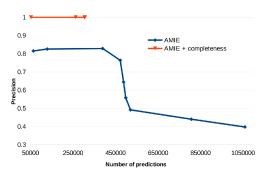
Luis Galárraga, Simon Razniewski, Antoine Amarilli, Fabian M. Suchanek: "Predicting Completeness in Knowledge Bases"

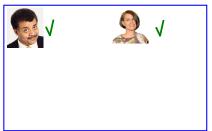
International Conference on Web Search and Data Mining (WSDM) 2017

### Missing Object Problem: Application

As we have seen, fact prediction is a method that uses rules such as  $marriedTo(x,y) \wedge hasChild(x,z) \Rightarrow hasChild(y,z)$ 

to predict new facts. If we restrict fact prediction to those subjects where objects are missing, the precision increases:









#### Obligatory for people:

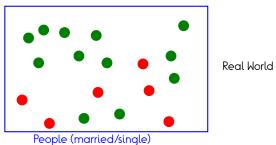
- hasBirthPlace
- hasNationality
   Not obligatory:
- isMarriedTo
- hasChild

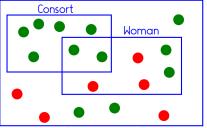
Problem: Obligatory Attribute Problem

#### Input:

- $| \bullet$  a knowledge base K
  - ullet a class c
  - ullet a relation  $\it r$

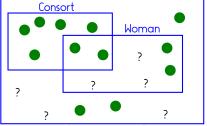
Task: Determine if all instances of  $\,c\,$  have the relation  $\,r\,$  in the real world





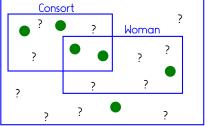
Real World

People (married/single)



Knowledge base without negative facts

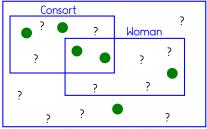
People (married/single)



Knowledge base without negative facts and with incompleteness

People (married/single)

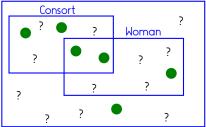
In YAGO 3, only 2% of people have a nationality (obligatory attribute), and only 2% of people are married (non-obligatory attribute).



People (married/single)

#### Assumptions:

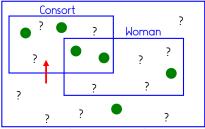
- the KB is correct, i.e., every fact in the KB is in the real world
- the classes of the KB are correct and complete
- the partial completeness assumption
- ullet the facts are a uniform random sample of the facts in the real-world  $_{2Q}$



People (married/single)

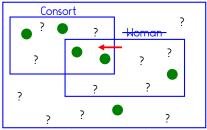
Theorem: If the KB is sampled randomly uniformly from the real world, and if the density of an attribute changes when we go into an intersecting class, then the attribute cannot be obligatory.

 $p \text{ obligatory in class } c \Rightarrow \forall \ c' \colon \ E(ratio \ of \ p \ in \ c \backslash c') = E(ratio \ of \ p \ in \ c \cap c') = E(ratio \ of \ in \ c \cap c') = E(ratio \ of \ in \ c \cap c') = E(ratio \ of \ in \ c \cap c') = E(ratio$ 



People (married/single)

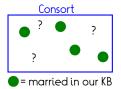
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People (married/single)

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### Obligatory attributes problem



In the real world, do all instances of a class have the attribute?

=> By help of <u>Density-difference-based estimators</u>,
we can predict the obligatory attributes of a class purely from the KB
(although the work does not actually predict attributes that are obligatory, but rather excludes attributes that cannot be obligatory)

Jonathan Lajus, Fabian M. Suchanek:

"Are All People Married? Determining Obligatory Attributes in KBs " Web Conference (WWW) 2018

### Predictive recall assessment

How can we find out if a knowledge base is complete?

- The Basics: Predicting facts
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### Text can help assess completeness

Marie brought her child Irène to school.

How many children does Marie have?



Marie Curie

### Text can help assess completeness

Marie brought her child Irène to school.

4

How many children does Marie have?

Marie has two daughters, Irène and Ève.





How many children does Marie have?

## Text can help assess completeness

Marie brought her child Irène to school.



How many children does Marie have?

Marie has two daughters, Irène and Ève.





How many children does Marie have?

Natural language utterances imply a range of assertions that are not explicitly stated – the implicatures (based on work by Grice in 1975).

Scalar implicatures say that no more facts are true than those that are explicitly stated.

### Text Coverage Problem

Marie brought her child Irène to school.

Sentence incomplete



Marie has two daughters, Irène and Ève.

Sentence (probably) complete





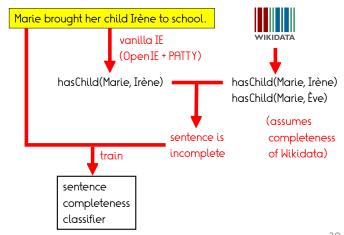
Problem: Text Coverage Problem

Input: A sentence about a subject  $\,s\,$  and a relation  $\,r\,$ 

Task: Determine if the sentence is complete, i.e.,

if it enumerates all objects o with r(s,o).

### Text Coverage Problem



### Text Coverage Problem

Does a sentence list all objects for a given subject and relation?

⇒ The <u>Gricean maxims of conversation</u> allow us to train a classifier.

What indicates completeness?

their daughters *list* her grandsons *list* his *number* children *list* 

What indicates incompleteness?

her surviving (sons I daughters I...) *list* succeeded by her (daughters I sons I...) *list* in addition a (daughter I son I...) *name* 

Simon Razniewski, Nitisha Jain, Paramita Mirza, Gerhard Weikum: "Coverage of Information Extraction from Sentences and Paragraphs "Empirical Methods in Natural Language Processing (EMNLP) 2019

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## Missing Entities Problem

Assume we're builing a knowledge base about scientists:



Problem: Missing Entities Problem

Input: A set of entities of a given class

Task: Determine how many entities are missing

compared to the real world.

But how many are there in the real world?

### Missing Entities Problem

Classes are usually not well-defined:

• is anyone with a doctoral degree a scientist?

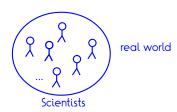


- what is the total number of cathedrals, if some are built/destroyed?
- what is the total number of islands? Do we also count islets, rocks...?
- what is the total number of inhabitants of a country? Do we also count deceased people? Do we count only famous people?
  - => we can work only on very crisp and restricted classes
    - countries recognized by the UN as of 2021
    - mountains taller than 1000m

• ..

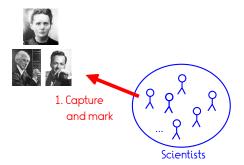
Mark-and-Recapture is a method to estimate the number of animals in a population by capturing some animals, marking them, releasing them, capturing animals again, and observing the percentage of marked ones.

#### Example:



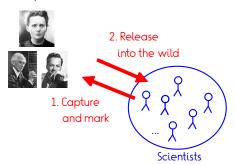
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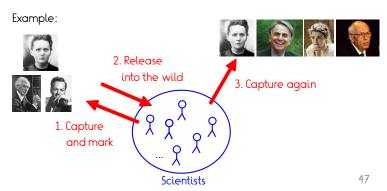


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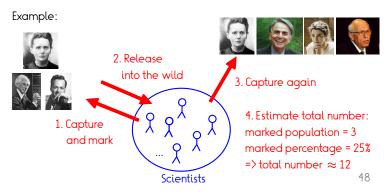
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Mark-and-Recapture is a method to estimate the number of animals in a population by capturing some animals, marking them, releasing them, capturing animals again, and observing the percentage of marked ones.



## Mark and recapture in Wikidata

How can we sample if the entities are already in the KB? Idea: user edits in Wikidata "sample" from the real world.

time	
sample period 1	sample period 2
hasChild(MarieCurie, Eve) type(BertrandRussell,Humanist) married(Arline,RichardFeynman)	hasChild(MarieCurie, Irène) livedIn(Hypatia, Alexandria) nationality(CarlSagan, USA) namedAfter(SakharovPrize,)

### Mark and recapture in Wikidata

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#### time

#### sample period 1

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#### sample period 2

hasChild(MarieCurie, Irène) livedIn(Hypatia, Alexandria) nationality(CarlSagan, USA) namedAfter(SakharovPrize...)

#### Sample 1













### Mark and recapture in Wikidata

k = number of sample periods (here: 2)

n = number of observations (here: 7)

c = current number of entities in the KB

 $f_i$  = frequence of entities observed i times (here:  $f_i = 5$ )

#### Try several estimators, e.g.

• JackKnife: 
$$c + \frac{k-1}{k} f_1$$

Streaker

• Chao 92, Good-Turing:  $\frac{c}{1-f_c/n}$  [...]

#### Sample 1

















## Estimators: Good-Turing

k = number of sample periods (here: 2)

n = number of observations (here: 7)

c = current number of entities in the KB

 $f_i$  = frequence of entities observed i times (here:  $f_i$ =5)

Good-Turing estimator: The fraction of items that we have not seen, out of the entire population is estimated as  $\frac{f_1}{n}$ . Therefore, the total number of items is

$$N \approx D \times (1 - \frac{f_1}{n})^{-1}$$

If every item I see is new,  $f_1=n$ ,  $N=\infty$ 

#### Sample 1















### Estimators: Jackknife

k = number of sample periods (here: 2)

n = number of observations (here: 7)

c = current number of entities in the KB

 $f_i$  = frequence of entities observed i times (here:  $f_i$ =5)

Jackknife estimator: The number of unseen entities is the number of distinct entities seen in one sample period j ( $f_i^j$ ), multiplied by the number of other samples (k-1). Average across all sample periods:

Jacknife = 
$$AVERAGE_{i=1..k}(k-1)f_1^j + D$$

#### Sample 1







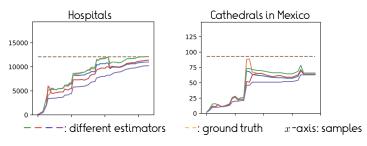






### Missing Entities Problem in edited KB

Can we estimate the total number of entities in the real world?

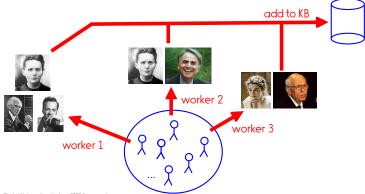


=> If the population is large, its size can be estimated

M. Luggen, D. Difallah, C. Sarasua, G. Demartini, P. Cudré-Mauroux:
"Non-Parametric Class Completeness Estimators for Collaborative KGs"
International Semantic Web Conference (ISWC) 2019

## Missing Entities in Crowd-sourced KBs

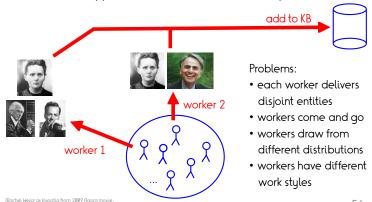
In a crowd-sourced KB, the workers create a "sample" from the world. The entities that appear more than once are the "re-captured" ones.



[Rachel Weisz as Hupatia from 2009 Agora movie .

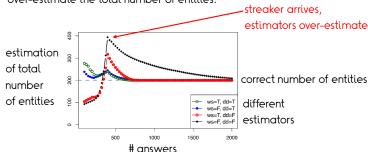
## Missing Entities in Crowd-sourced KBs

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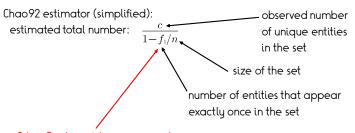
### The Streaker Problem

If one worker adds many (disjoint) entities in one go, the estimators over-estimate the total number of entities.



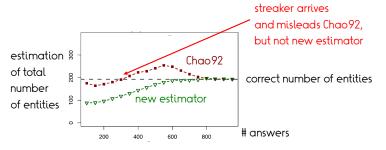
### Solving the Streaker Problem

To estimate the total number of entities at some time point, we create the multi-set of all worker responses that we received so far.



Idea: Replace  $f_1$  by a new number that ignores unique entities contributed by one worker beyond 2 standard deviations from the mean (= streakers).

### Solving the Streaker Problem



=> In a crowd-sourced KB, the total number of entities can be estimated

Beth Trushkowsky, Tim Kraska, Michael J. Franklin, Purnamrita Sarkar:

"Crowdsourced Enumeration Queries"

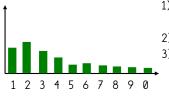
International Conference on Data Engineering (ICDE) 2013

If the KB is static, the mark-and-recapture estimators do not work.



How can we estimate the missing entities in a static KB?





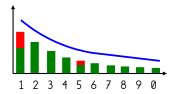
- Take the number of inhabitants of each city
- 2) Take the first digit
- Plot the number of cities per first digit

Benford's Law says that the first digit d appears with probability

$$log_{10}(1+\frac{1}{d})$$

=> We can "fill up" the missing digits

It is also possible to parameterize the law, and learn the parameter.



>details

### Benford's Law explained

Benford's Law says that the first digit d appears with probability

$$log_{\scriptscriptstyle 10}(1+rac{1}{d})$$

This holds only for quantities that grow by multiplicative factors:

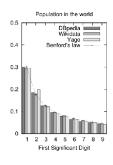
- number of inhabitants of cities
- the size of a lake
- other natural processes

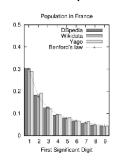
Illustration: inhabitants of a village that grows by 50% each year

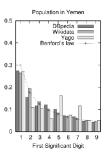
טטטן	5062
<b>1</b> 500	<b>7</b> 593
<mark>2</mark> 250	<b>1</b> 1390
3375	

>details

# Benford's Law examples







Not representative

### Parameterized Benford's Law

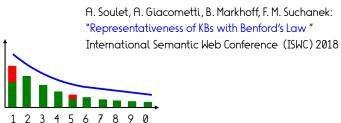
A set of numbers satisfies a generalized Benford's law with exponent  $\ \alpha$ , if the first digit  $d\in [1..9]$  occurs with probability

$$B_d^a = \frac{(1+d)^a - d^a}{10^a - 1}$$

- 1. Transform a relation to a numerical relation, e.g., by counting the number of objects: numMovies(x) = # y: actedIn(x,y)
- 2. Determine  $\alpha$  by a weighted least square measure
- Run a MAD (Mean Absolute Deviation) test to see if Benford's Law could be applied
- 4. If so, compute number of entities that have to be added to conform to Benford's Law 65

How can we know how many entities are missing in our KB, if the KB is static (i.e., not updated by edits)?

=> <u>Benford's Law</u> allows us to give a minimum numbers of entities that are missing to make the distribution representative of the real world.



### Takeaway: Predictive recall assessment

Using statistical techniques, we can predict more or less:



Are we missing objects in the KB? (Supervised learning of rules)

Neil came with his wife Alice.

Does a text enumerate all objects?

(Train a classifier based on
Grice's maxims of conversation)



How many entities are missing? (Mark and recapture)